

BITS PILANI, DUBAI CAMPUS
DUBAI INTERNATIONAL ACADEMIC CITY, DUBAI
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COURSE : COMPUTER PROGRAMMING (CS F111)

COMPONENT : Tutorial# 3 **SOLUTIONS**

DATE : 11-FEB-2016

Q1. Using 16 bits, what is the range of signed integers that can be represented in each of the following cases

- a) Sign magnitude **$-(2^{15} - 1)$ to $(2^{15} - 1)$ i.e -32767 to +32767**
- b) 1's Complement **$-(2^{15} - 1)$ to $(2^{15} - 1)$ i.e -32767 to +32767**
- c) 2's Complement **$-(2^{15})$ to $(2^{15} - 1)$ i.e -32768 to +32767**

Q2. Represent the following in 8 bits 2's Complement

<p>a) -20 Start with +20 in 8 bits 0001 0100 take 1's Complement 1110 1011 Take 2's Complement 1110 1011 +1 ----- 1110 1100</p>	<p>b) 15 Start with +15 in 8 bits 0000 1111 For positive numbers the signed binary only will be the 1's C and 2's C 0000 1111</p>
<p>c) -38 Start with +38 in 8 bits 0010 0110 take 1's Complement 1101 1001 Take 2's Complement 1101 1001 +1 ----- 1101 1010</p>	

Q3. Find the decimal equivalent for the following 2's Complement binary number

a) 1110 1100	b) 0110 1101
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The MSB (**M**ost **S**ignificant **B**it or left most bit) is 1 therefore the decimal equivalent will be a -ve number.

$$(-2^7*1) + (2^6*1) + (2^5*1) + (2^4*0) + (2^3*1) + (2^2*1) + (2^1*0) + (2^0*1)$$

$$= -20$$

The MSB (**M**ost **S**ignificant **B**it or left most bit) is 0 therefore the decimal equivalent will be a +ve number.

$$(2^7*0) + (2^6*1) + (2^5*1) + (2^4*0) + (2^3*1) + (2^2*1) + (2^1*0) + (2^0*1)$$

$$= +109$$

c) 01 0011

The MSB (**M**ost **S**ignificant **B**it or left most bit) is 0 therefore the decimal equivalent will be a +ve number.

$$(2^5*0) + (2^4*1) + (2^3*0) + (2^2*0) + (2^1*1) + (2^0*1)$$

$$= +19$$

Q4. Perform the following arithmetic operation and check for the overflow

a) 23 - 15

The operation will be performed as

$$23 + (-15)$$

The 2's C binary equivalent of 23 is 0001 0111

The 2's C binary equivalent of -15 is 1111 0001

Adding these two will result in **1**-0000 1000 (overflow is not there, but carry forward is there)

b) - 16 - 37

The operation will be performed as

$$(-16) + (-37)$$

The 2's C binary equivalent of -16 is 1111 0000

The 2's C binary equivalent of -37 is 1101 1011

Adding these two will result in **1**-1100 1011 (overflow is not there, but carry forward is there)

Q5. Perform the following conversions

a) $(00110001100)_2 = (\mathbf{0614})_8 = (\mathbf{396})_{10}$

b) $(1A03)_{16} = (\mathbf{0001\ 1010\ 0000\ 0011})_2 = (\mathbf{15003})_8$

Q6. Represent the following into IEEE floating point representation

a) -19.75

This is a -ve number so the sign bit will be 1

The binary equivalent to 19 is 10011

The binary equivalent to .75 is 11

So the representation will look like

-10011.11

After normalization it will become

-1.001111 * 2⁴

After adding the biased exponent

-1.001111 * 2⁴⁺¹²⁷

The binary equivalent of exponent 131 is 10000011

So the IEEE representation will be

1 10000011 001111000000000000000000

b) 397.5

This is a +ve number so the sign bit will be 0

The binary equivalent to 397 is 110001101

The binary equivalent to .5 is 1

So the representation will look like

110001101.1

After normalization it will become

1.100011011 * 2⁸

After adding the biased exponent

$$1.100011011 \times 2^{8+127}$$

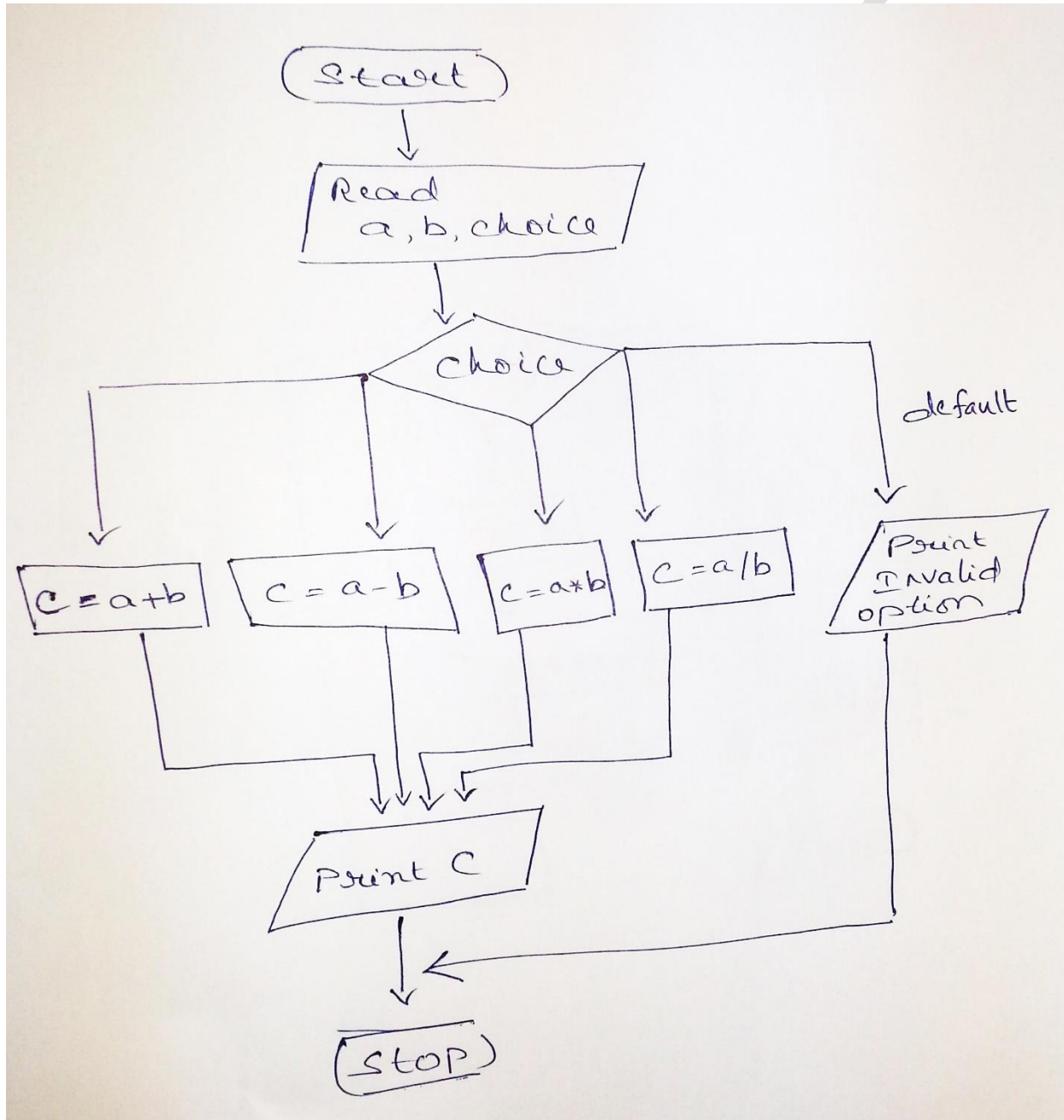
The binary equivalent of exponent 135 is 10000111

So the IEEE representation will be

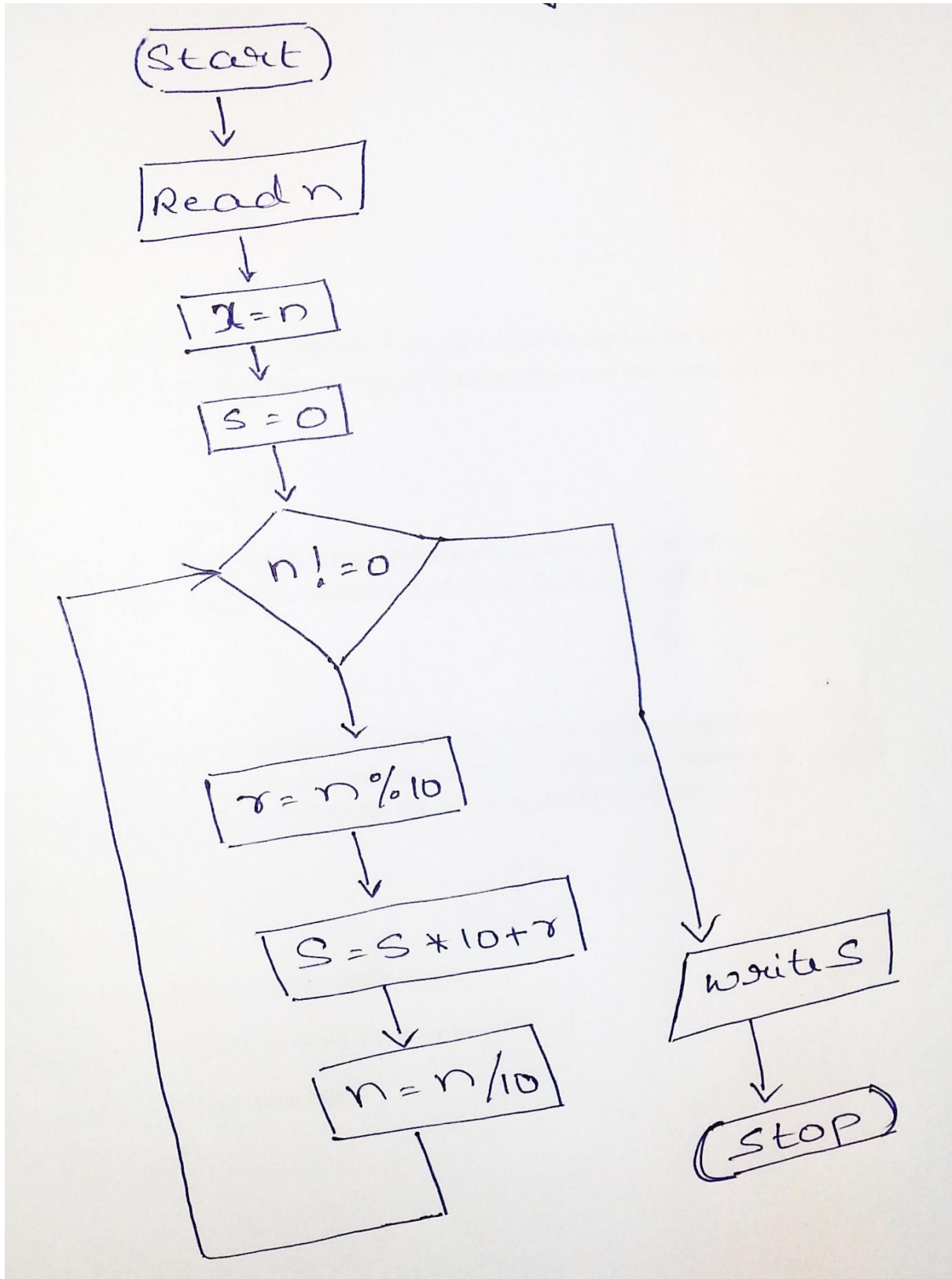
0 10000111 100011011000000000000000

Q7. Draw the flow chart for the following

a) Arithmetic operations (+, -, *, /)



b) Reverse a given number



END